Roll	l No.	Total No. of Pages : 02
Tota	al No. of Questions : 09	
	BMCI (2013 Batch) (!	Sem.–1)
	MATHEMATICS – I (Brid Subject Code : BMC M.Code : 48501	ge Course) CI-101 I
Tim	ie : 3 Hrs.	Max. Marks : 60
INS ⁻ 1. 2. 3.	TRUCTIONS TO CANDIDATES : SECTION-A is COMPULSORY consisting of TE each. SECTION-B contains FIVE questions carrying F have to attempt any FOUR questions. SECTION-C contains THREE questions carryi have to attempt any TWO questions.	N questions carrying TWO marks FIVE marks each and students ng TEN marks each and students
	SECTION-A	
Q1	Answer briefly :	
	a) If A = {1, 2, 3}, B = {3, 4, 5}, U = {1, 2, 3, 4, 5, 6, 7	7, 8, 9} find A – B & A □ □B.

b) Explain different methods of describing a set.

c) Draw Venn diagram of (A \square B) \square C and A \square (B \square C)

d) State duality principle for sets.

i) State Binomial theorem and its two applications.

j) Show that $\begin{vmatrix} \sin 10^{\Box} & \Box \cos 10^{\Box} \\ \sin 80^{\Box} & \cos 80^{\Box} \end{vmatrix} = 1$

SECTION-B

- Q2. Consider the function : $0 \begin{bmatrix} 1 & -1 & -1 & -1 \\ -1 & -1 & -1 & -1 \end{bmatrix}$, given by $f(x) = \sin x$ and g: 0, $\begin{bmatrix} 1 & -1 & -1 & -1 \\ -1 & -1 & -1 & -1 \end{bmatrix}$ given by $g(x) = \cos x$. Show that f and g are one-one but f + g is not one one.
- Q3. If A, B, C are any three sets then prove that A \square (B \square C) = (A \square B) \square (A \square C) & A \square (B \square C) = (A \square B) \square (A \square C).
- Q4. a) What do you mean by partition of a set. For set $S = \{1, 2, 3, 4, 5, 6\}$ determine whether or not each of the following is a partition of $S : P1 \{\{1, 3, 5\}, \{2, 4, 6\}\}, P2 = \{\{2, 4\}, \{1, 3, 5\}, \{6\}\}.$

b) Discuss various types of functions with examples.

Find the term independent of x in the expansion of $(1 + x + x3) \begin{bmatrix} 3 \\ -x^2 \end{bmatrix} = x^2 \begin{bmatrix} 1 \\ 3x \end{bmatrix}$

Q6. a) Give example of matrices such that AB = AC, but $B \square C$.

b) Find the value of 'x' for which the matrix A $\begin{bmatrix} 1 & 02 & 30 \\ 0 & 2 & 10 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$ is singular.

SECTION-C

- Q7. If $X = Y = Z = \Box \Box and f : X \Box Y and g : Y \Box Z$ are such that f(x) = 2x + 1, $g(y) \Box \frac{y}{3}$. Verify that $(g \circ f) - 1 = f - 1 \circ g - 1$.
- O8. Using principle of mathematical induction prove that :

 $1.2 + 2.3 + 3.4 + \dots + n (n + 1) 1 n(n 1)(n 2).$

Q9. Using properties of determinant prove that :

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NOTE : Disclosure of Identity by writing Mobile No. or Making of passing request on any page of Answer Sheet will lead to UMC against the Student